



# Design and Analysis of Key Encryption Schemes to Secure Two Servers

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**Abstract:** Password-authenticated key exchange (PAKE) is wherever a consumer and a server, UN agency share a positive identification, manifest one another and meantime establish a cryptanalytic key by exchange of messages. during this setting, all the passwords necessary to manifest shoppers square measure keep in an exceedingly single server. If the server is compromised, due to, for instance, hacking or perhaps corporate executive attack, passwords keep within the server is all disclosed. during this project, we tend to take into account a state of affairs wherever 2 servers work to manifest a consumer and if one server is compromised, the assailant still cannot fake to be the consumer with the knowledge from the compromised server. Current solutions for 2-server PAKE square measure either parallel within the sense that two peer servers equally contribute to the authentication or uneven within the sense that one server authenticates the consumer with the assistance of another server. This project presents a parallel answer for two-server PAKE, wherever the consumer will establish totally different cryptanalytic keys with the 2 servers, severally.

**Key Words:**Deffie Hellman protocol, ElGamal coding, 2 passwords solely.

## 1. INTRODUCTION

Hacking and intrusion square measure the most important issues in secure transmission of messages between server and consumer, which might be simply done through comprimisation of server. One different thanks to break the safety is by guesswork the passwords additionally the hash values is guessed that the best means is for assailant that is often used or followed by most. Preliminary studies cowl the idea of on-line and offline attacks ,majorly they're sorted below wordbook attacks. Here offline attacks square measure quicker in speed of guesswork the positive identification. Offline attacks square measure the passive attacks during which assailant attempt to guess the positive identification from the spoken communication or communication created between 2 parties and guess the attacks from the wordbook. on-line attacks the assailant guess the positive identification

through wordbook and tries to login. on-line tries created to guess the positive identification is additionally known as active attacks .These each kinds of attack ought to be avoided in consumer server communication. the most aim in server and consumer design is that client's passwords square measure maintained to server solely. once that server gets hacked then security within the transmission of message are reduced.. The design that is best suited is that the public key Infrastructure and also the model used is PKI model. PKI model is employed for positive identification protection. It allows users to firmly non-public{and personal}ly exchange knowledge with the employment of public and private key try. The digital certificate .It uses the general public key cryptography. The positive identification solely genuine key exchange uses short positive identification of user. The second model that is positive identification solely model, wherever positive identification is that the secret key for coding of random designated numbers that is taken into account as a benchmark for the cryptanalytic assumption. Here the most idea is that the user needs to bear in mind the positive identification each communication done is predicated on vital issue that's positive identification because it doesn't need any auxiliary storage.

Humans usually opt for “weak”, low-entropy passwords, whereas normal authentication protocols assume the employment of cryptanalytic (i.e., high-entropy) secrets. sadly, protocols designed associated proved secure within the latter setting square measure typically insecure within the former context as a result of these protocols aren't proof against off-line wordbook attacks during which an eavesdropping someone derives data concerning the positive identification from discovered transcripts of login sessions. In recent years, a lot of attention has targeted on planning password-based genuine key-exchange protocols proof against such attacks. (We remark that on-line wordbook attacks — during which associate someone merely tries to login repeatedly, making an attempt every potential positive identification — can not be prevented by cryptanalytic means that however is controlled



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mistreatment different ways outside the scope of this work.) means that of protective against off-line wordbook attacks in an exceedingly single-server setting were initial urged by Gong et al. [21] in an exceedingly “hybrid”, PKI-based model wherever users square measure needed to store the server’s public key additionally to a positive identification. Bellare and Merritt [5] were the primary to counsel protocols for password-only genuine key exchange (PAKE), wherever users square measure needed to store solely a brief positive identification. These initial works (and others [6, 23, 28, 34]) were comparatively informal and didn’t give definitions or proofs of security.

## 1. DEFINITIONS AND PRELIMINARIES

We assume the reader is accustomed to the model of Bellare et al. [1] (building on [3, 4]) for passwordbased key exchange within the single-server case. Here, we tend to generalize their model and gift formal definitions for two-server protocols. whereas the model given here is basically adore the model planned by MacKenzie et al. [31] (with the most distinction being that we tend to don’t assume a PKI), we are able to change matters slightly since we tend to target the two-server setting completely. For convenience we tend to initial describe the model for the case of a “passive” opponent corrupting one among the servers, so discuss in brief the modifications required to handle Associate in Nursing “active” opponent. (As mentioned below, in each the “passive” and “active” cases the opponent is unengaged to interfere with all communication between the shopper and also the servers. These cases solely take issue within the power of the opponent to manage the actions of the corrupted servers: specifically, a “passive” opponent is unable to manage the actions of corrupted servers, whereas Associate in Nursing “active” opponent will.) we tend to initial gift a general summary of the system. For simplicity, we tend to assume that each shopper C within the system shares its secret pw with specifically 2 servers A and B. during this case area unit saying} that servers A and B are related to C. (A single server could also be related to multiple shoppers.) additionally to holding secret shares, these servers may additionally be provisioned with whimsical different info (that needn’t be hold on by C). Any such info is provisioned by some incorrupt, central mechanism (a computer user, say) at the commencement of the protocol. This doesn’t represent a restriction in apply, since the servers should be provisioned with correct secret shares anyway, then any extra info are often provided to the servers at that point. moreover, the servers don’t have any restriction — because the shopper will — on the quantity of three info they will store. Associate in Nursing (honest) execution of a protocol between shopper C and associated servers A and B ought to end in the shopper holding 2 (independent) session keys  $sk_{C,A}$ ,  $sk_{C,B}$ , and

servers A and B holding  $sk_{A,C}$  and  $sk_{B,C}$ , severally, with  $sk_{C,A} = sk_{A,C}$  and  $sk_{C,B} = sk_{B,C}$ .

In a single-server PAKE protocol, if the server is compromised, user passwords hold on within the server square measure all disclosed. to handle this issue, in 2000, Ford and Kaliski planned the primary threshold PAKE protocol within the PKIbased model, within which n servers join forces to manifest a shopper. afterward, in 2001, Joblon removed the necessity for PKI and instructed a protocol with the similar property within the password-only model. each the edge PAKE protocols weren’t shown to be secure formally. In 2002, MacKenzie et al. gave a protocol within the PKI-based setting, which needs solely t out of n servers to join forces to manifest a shopper and is secure as long as fewer servers square measure compromised. They were the primary to produce a proper security proof for his or her threshold PAKE protocol within the random oracle model. In 2003, Di Raimondo and Gennaro planned a protocol within the password-only setting, which needs but 1/3 of the servers to be compromised, with a proper security proof within the customary model.

In this paper, we tend to propose a replacement bilaterally symmetrical answer for two-server PAKE. all told existing two-server PAKE protocols, 2 servers square measure provided random secret shares  $pw_1$  and  $pw_2$  subject to  $pw_1$  and  $pw_2$ . In our protocol, we offer one server S1 with Associate in Nursing secret writing of the secret Associate in Nursing and another server S2 with an secret writing of the secret wherever  $pk_1$  and  $pk_2$  square measure the secret writing keys of S1 and S2, severally. additionally, 2 servers square measure provided random secret shares  $b_1$  and  $b_2$ , wherever H could be a hash perform. just like the secret pw is secret unless the 2 servers conspire. though we tend to use the conception of public key cryptosystem, our protocol follows the password-only model. The secret writing and coding key pairs for the 2 servers square measure generated by the shopper and delivered to the servers through totally different secure channels throughout the shopper registration, because the shopper in any 2-server PAKE protocol sends two halves of the secret to the 2 servers on the QT, severally. In fact, a server shouldn’t apprehend the secret writing key of another server and is restricted to control on the secret writing of the secret on the premise of the homomorphic properties

## 2. A PROTOCOL SECURE AGAINST PASSIVE ADVERSARIES

Description of the Protocol we tend to assume the reader is accustomed to the decisional Diffie-Hellman (DDH) assumption [15], strong5 one-time signature schemes, and also the Cramer-Shoup secret writing theme [14] with labels. A highlevel depiction of the protocol is given in Figures 1–3, and a lot of careful description, still as some informal discussion regarding the protocol, follows.



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Initialization. throughout the formatting section, public parameters (i.e., a standard reference string) square measure generated and created offered to all or any parties. For security parameter  $k$ , the general public parameters for our protocol contain a gaggle  $G$  (written multiplicatively) having such as prime order letter of the alphabet with  $|q| = k$ ; we tend to assume the hardness of the DDH downside in  $G$ . to boot, the parameters embody random generators  $g_1, g_2, g_3, h, c, d \in G \setminus$  and a hash perform  $H : * \rightarrow Z_q$  chosen arbitrarily from a collision-resistant hash family. As a part of the formatting, every server  $S$  is provisioned with Associate in Nursing El Gamal public-/secret-key combine (pkS, skS), wherever  $pkS = g \ skS \ one$  . If  $A$  and  $B$  square measure related to constant shopper  $C$ , then  $A$  (resp.,  $B$ ) is given  $pkB$  (resp.,  $pKA$ ). we tend to stress that, in distinction to the PKI-based model, the shopper isn't assumed or needed to grasp the general public keys of any of the servers

differ.) Server  $A$  (resp., server  $B$ ) is additionally given the randomness  $ra$  (resp.,  $rb$ ) used to construct  $ComA,C$  (resp.,  $ComB,C$ ). Protocol execution. At a high level one can view our protocol as two executions of the  $KOY^*$ .

Protocol, one between the client and server  $A$  (using server  $B$  to assist with the authentication), and one between the client and server  $B$  (using server  $A$  to assist with the authentication). When a client with password  $pwC$  wants to initiate an execution of the protocol, this client computes Cramer-Shoup “encryptions” of  $pwC$  for each of the two servers. In more detail (cf. Figure 1), the client begins by running a key-generation algorithm for a one-time signature scheme, yielding verification key  $VK$  and signing key  $SK$ . The client next chooses random  $r_1 \in Z_q$  and computes  $Aa = g \ r_1 \ 1$ ,  $Ba = g \ r_1 \ 2$ , and  $Ca = h \ r_1 \cdot g \ pwC \ 1$ . The client then computes  $\alpha a = H(Client|VK|Aa|Ba|Ca)$  and sets  $D = (cd\alpha a) \ r_1$ . This exact procedure is carried out a second time using an independent random value  $r_2 \in Z_q$ . The client sends  $msg1$  def =  $hClient, VK, Aa, Ba, Ca, Da, Ab, Bb, Cb, Dbi$  to each server as the first message of the protocol. Note that this corresponds to two independent “encryptions” of  $pwC$  using the label  $Client|VK$ . The servers act symmetrically, so for simplicity we describe the actions of server  $A$  (cf. Figure 2). Upon receiving  $msg1$ , server  $A$  sends “shares” of (1) two values of the form  $g \ x \ 1 \ g \ y \ 2 \ h \ z \ (cd\alpha a) \ w$  (for  $\alpha \in \{\alpha a, \alpha b\}$ ), one for server  $A$  and one for server  $B$ , and (2) an El Gamal encryption of  $pwC$ . In more detail, server  $A$  chooses random  $x_a, y_a, z_a, w_a \in Z_q$  and computes  $Ea,1 = g \ x_a \ 1 \ g \ y_a \ 2 \ h \ z_a \ (cd\alpha a) \ w_a$ . It also chooses random  $x_0 a, y_0 a, z_0 a, w_0 a \in Z_q$  and computes  $Eb,1 = g \ x_0 a \ 1 \ g \ y_0 a \ 2 \ h \ z_0 a \ (cd\alpha b) \ w_0 a$ . Finally, it sets  $(Fa, Ga)$  equal to  $ComA,C$  (which, recall, is an El Gamal encryption of  $g \ pwA,C \ 1$  using “public key”  $g_3$  and randomness  $ra$ ). It sends the message  $msgA$  def =  $hEa,1, Eb,1, Fa, Gai$  to the client. After receiving a second-round message from each server, the client combines the values thus received by multiplying them component-wise to obtain  $hEa, Eb, F, Gi$  (cf. Figure 1). Note that (1) neither server knows the representation of  $Ea$  (resp.,  $Eb$ ) with respect to the basis  $g_1, g_2, h, (cd\alpha a)$  (resp.,  $g_1, g_2, h, (cd\alpha b)$ ), and (2) the values  $(F, G)$  form an El Gamal encryption of the client’s password  $pwC$  (with respect to public key  $g_3$ ). The client next chooses random values  $x_1, y_1, x_2, y_2 \in Z_q$ , computes  $Ka = g \ x_1 \ 1 \ g \ y_1 \ 3$  and  $Kb = g \ x_2 \ 1 \ g \ y_2 \ 3$ , and computes a signature  $\sigma$  on  $msg1 |msgA|msgB|Ka|Kb$  using the secret key  $SK$  that it had previously generated. It sends  $msg3$  def =  $hmsgA, msgB, Ka, Kb, \sigma$  to each server as the final message of the protocol. (Of course,  $msgA$  need not be sent to  $A$  and similarly for  $msgB$ . Furthermore, it would suffice for the client to sign and send hashes of these messages.) Finally, the client computes session keys  $skC,A := E \ r_1 \ a \ F \ x_1 \ (G/gpwC \ 1) \ y_1$   $skC,B := E \ r_2 \ b \ F \ x_2 \ (G/gpwC \ 1) \ y_2$ . Upon receiving  $hmsgA, msgB, Ka, Kb, \sigma$  from the client, server  $A$  verifies that the  $(Fb, Gb)$  component of  $msgB$  is equal to  $ComB,C$  (recall that  $A$  stores  $ComB,C$ ), and that  $\sigma$  is a valid signature on  $msg1 |msgA|msgB|Ka|Kb$

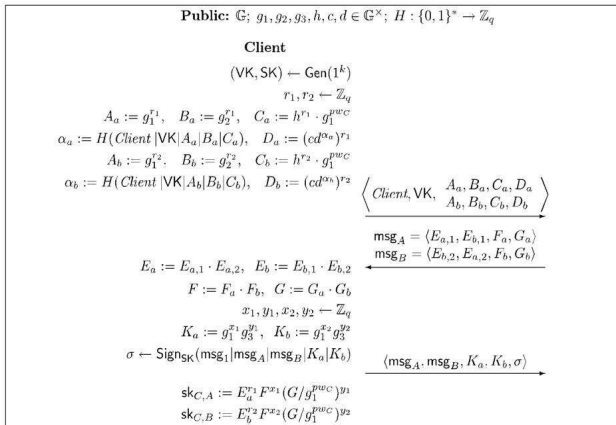


Figure 1: An execution of the protocol from the client’s point of view.

Given a message  $m \in G$  and a public key (i.e., group element)  $pk$ , we let  $M \leftarrow \text{ElGpk}(m)$  denote the act of choosing a random  $r \in Z_q$  and setting  $M = (g \ r \ 1, pkrm)$ . We let  $M[1]$  refer to the first component of this ciphertext, and let  $M[2]$  refer to the second. Note that if  $sk$  is the corresponding secret key (i.e.,  $pk = g \ sk \ 1$ ), then we have  $m = M[2] \ M[1]sk$ . Passwords and password shares are provisioned in the following way: a password  $pwC$  is chosen randomly for each client  $C$  and we assume that this password can be mapped in a one-to-one fashion to  $Z_q$ . If  $A$  and  $B$  are the servers associated with a client  $C$ , then password shares  $pwA,C, pwB,C \in Z_q$  are chosen uniformly at random subject to  $pwA,C + pwB,C = pwC \ mod \ q$ , with  $pwA,C$  given to server  $A$  and  $pwB,C$  given to server  $B$ . In addition, both  $A$  and  $B$  are given  $ComA,C, Com0 \ A,C, ComB,C$ , and  $Com0 \ B,C$ , where:  $ComA,C$  def =  $\text{ElGg}_3(g \ pwA,C \ 1) = g \ ra \ 1, gra \ 3 \ g \ pwA,C \ 1 \notin Com0 \ A,C$  def =  $\text{ElGpk}_a(g \ pwA,C \ 1)$   $ComB,C$  def =  $\text{ElGg}_3(g \ pwB,C \ 1) = g \ rb \ 1, g \ rb \ 3 \ g \ pwB,C \ 1 \notin Com0 \ B,C$  def =  $\text{ElGpk}_b(g \ pwB,C \ 1)$ . (Note that the keys for these El Gamal encryptions



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with respect to VK. If verification fails, the server terminates the execution. Otherwise, servers A and B jointly execute the Compute protocol (cf. Figure 3 and described next) in order to compute their session keys. Before describing the Compute protocol, we introduce notation for manipulation of El Gamal ciphertexts. If  $M, M_0$  are two El Gamal ciphertexts (encrypted with respect to the same public key  $pk$ ), then we let  $M \times M_0$  denote  $(M[1] \cdot M_0[1], M[2] \cdot M_0[2])$ . Note that if  $M$  is an encryption of  $m$  and  $M_0$  is an encryption of  $m_0$ , then  $M \times M_0$  is an encryption of  $m \cdot m_0$ . For  $x \in \mathbb{Z}_q$ , we let  $Mx$  denote the ciphertext  $(M[1]x, M[2])$ . Here, the resulting ciphertext is an encryption of  $mx$ .

Here, we describe the necessary changes to the protocol in order to handle active adversaries. We then sketch the appropriate modifications to the proof given in the previous section.

**Overview of Changes to the Protocol** At a high level, the changes we make can be summarized as follows: Proofs of correctness. We require servers to give proofs of correctness for their actions during the Compute protocol. We stress that we use only the fact that these are proofs (and not proofs of knowledge) and therefore we do not require any rewinding in our proof of security. This is crucial, as it enables us to handle concurrent executions of the protocol. Nevertheless, as part of the proofs of correctness we will have the servers encrypt certain values with respect to (additional) per-server public keys provisioned during protocol initialization. This will, in fact, enable extraction of certain values from the adversary during the security proof. Commitments to password shares. The protocol as described in the previous section already assumes that each server is provisioned with appropriate El Gamal encryptions of the password share of the other server. We will use these encrypted values (along with the proofs of correctness discussed earlier) to “force” a corrupted server to use the correct password share in its computations. Simulating proofs for non-corrupted servers. During the course of the proof of security it will be necessary for non-corrupted servers to deviate from the prescribed actions of the protocol, yet these servers must give “valid” proofs of correctness to corrupted servers. We cannot use “standard” zero-knowledge proofs in our setting, since (1) this would require rewinding which we explicitly want to avoid, and (2) potential malleability issues arise due to the fact that a corrupted server may be giving its proof of correctness at the same time a non-corrupted server is giving such a proof (this is so even if we force sequential executions of the proofs of correctness within any particular instance, since multiple instances may be simultaneously active).

To enable simulatability in a concurrent setting we rely on techniques of MacKenzie [29] described in greater detail below. 5.2 Detailed Description of Changes to the Protocol We first discuss the necessary modifications to the initialization phase. In addition to the values already discussed in Section 4.1: (1) each server  $S$  is given a random triple  $S = (US,1, US,2, US,3)$  of elements chosen uniformly at random from  $G$ . Furthermore, (2) if servers A and B are associated with the same client C, then B is given tripleA and A is given tripleB. We next describe the necessary changes to the protocol itself. In what follows, we use witnessindistinguishable  $\Sigma$ -protocols (with negligible soundness error  $\epsilon$ ) [12] of various predicates and it will be useful to develop some notation. If  $\Psi$  represents a predicate (defined over some public values), we let  $\Sigma[\Psi]$  denote a  $\Sigma$ -protocol for this predicate. If  $\Psi_1, \Psi_2$  are two predicates, then we let  $\Sigma[\Psi_1 \vee \Psi_2]$  denote a  $\Sigma$ -protocol for the “or” of these

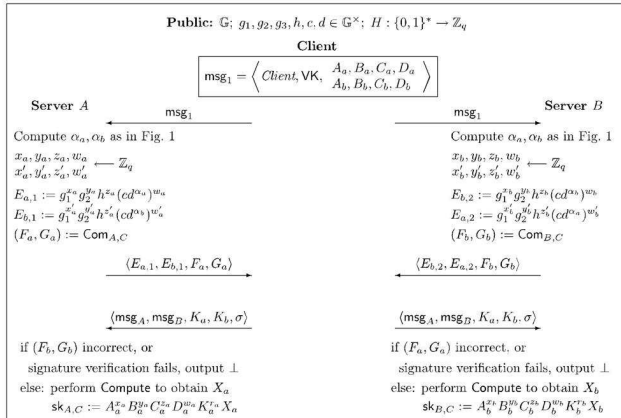


Figure 2: Execution of the protocol from the servers' points of view; see text for details. The Compute protocol is given in Figure 3.

With this in mind, we now describe the Compute protocol. Since the protocol is symmetric, we simply describe it from the point of view of server A. This server sets  $M_1$  to be an El Gamal encryption (with respect to  $pk_A$ ) of  $g^{-za-1}$ . It then sends  $M_1$  to server B, who computes  $M_0 \leftarrow M \cdot pw_{B,C}^{-1} \times Com_{0,A,C} \cdot g^{-z} \cdot 0 \cdot b \times ElGpk_A(g^{-z} \cdot 0 \cdot b \cdot pw_{B,C}^{-1} \cdot A \cdot x \cdot 0 \cdot b \cdot B \cdot y \cdot 0 \cdot b \cdot C \cdot z \cdot 0 \cdot b \cdot D \cdot w \cdot 0 \cdot b \cdot Krb \cdot a)$  and sends this value back to server A (recall that  $rb$  is the randomness used to construct  $Com_{B,C}$ ). Finally, server A decrypts  $M_0$  and multiplies the result by  $g^{-za-pw_{A,C}^{-1}}$  to obtain  $X_a$ . Note that  $X_a = g^{-(za+z \cdot 0 \cdot b) \cdot pw_{C,1}^{-3} \cdot A \cdot x \cdot 0 \cdot b \cdot B \cdot y \cdot 0 \cdot b \cdot C \cdot z \cdot 0 \cdot b \cdot D \cdot w \cdot 0 \cdot b \cdot Krb \cdot a}$ , (1) using the fact that  $pw_C = pw_{A,C} + pw_{B,C} \pmod q$ . In addition to the above, in the first step of the protocol the servers exchange the messages received from the client thus far; each server then verifies that these messages match their own view (and terminates if not). Although omitted in the above description, we assume that the client and servers always verify that incoming messages are well-formed, and in particular that all appropriate components of the various messages indeed lie in  $G$  (we assume that membership in  $G$  can be efficiently verified).

### 3. HANDLING ACTIVE ADVERSARIES



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predicates. Given  $\Sigma$ -protocols for  $\Psi_1$  and  $\Psi_2$ , there are standard techniques to combine these so as to obtain a  $\Sigma$ -protocol for  $\Psi_1 \vee \Psi_2$  [13]. We define the predicate DDHS, for any server  $S$  with  $\text{triple}_S = (U_1, U_2, U_3)$ , as follows:  $\text{DDHS}(U_1, U_2, U_3) \text{ def} = [\exists x, y \text{ s.t. } U_1 = g \times x \wedge U_2 = g \times y \wedge U_3 = g \times xy \wedge 1]$ ; i.e., DDHS denotes the predicate asserting that  $\text{triple}_S$  is a Diffie-Hellman triple. The only change in the protocol is the Compute component, which is modified in the following ways (we describe the changes from the point of view of server A, but they are applied symmetrically).

### 4. RESULTS

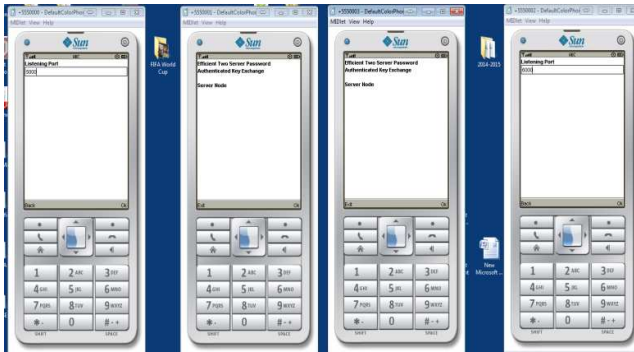


Figure 3: The above screen shows mobile node launched to listen on ports 5000 and 6000 respectively and server node initialized. On the screen we cannot use mouse so, we can use below the screen buttons.

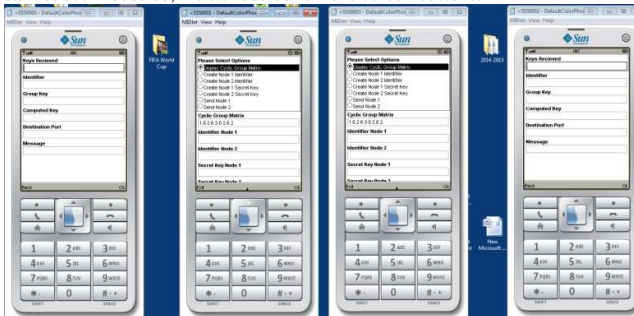


Figure 4: The above screen shows when the cyclic group matrix is selected then the two server nodes displaying cyclic group keys. In the above screen we are seeing the matrix of cyclic group is 162638282.

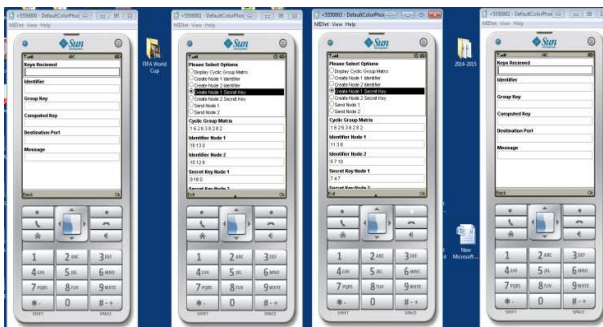


Figure 5: The above screen shows that now we are creating a node 1 secret key. Then the two server nodes computing node 1 secret keys. The two sever nodes have their own keys. These two keys are different.



Figure 6: The above screen shows that IP Address, Port Number, Identifier and Group Key. We have enter IP Address, Port Number, Identifier and Group Key. First server node sending identifier and group keys to node 1.

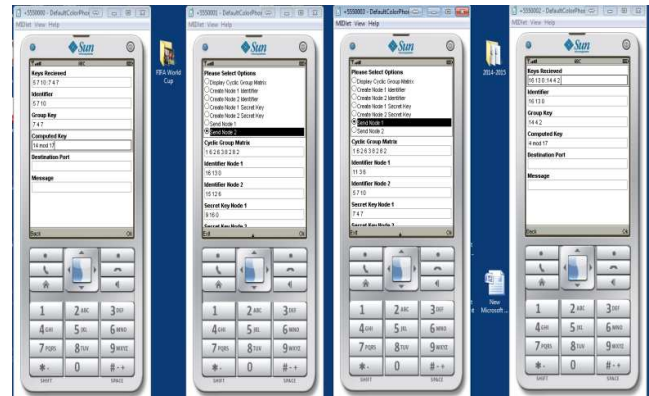


Figure 7: The above screen shows first mobile node received identifier and group keys and computed its own key from second server.

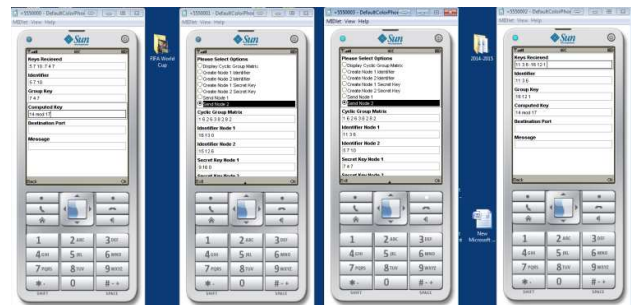


Figure 8: The above screen shows second mobile node received identifier and group keys and computed its own key we observe that both nodes will have same keys computed.



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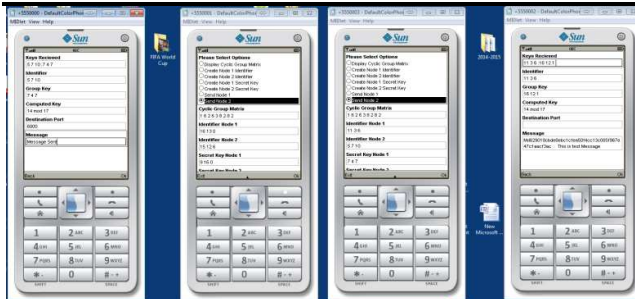


Figure 9: The above screen shows second mobile node received data from the first mobile node in secured format shown as hexadecimal and interprets the correct message.

## 9. CONCLUSION

In this paper, we've bestowed a cruciate protocol for two-server password-only authentication and key exchange. Security analysis has shown that our protocol is secure against passive and active attacks just in case that one in all the 2 servers is compromised. Performance analysis has shown that our protocol is a lot of economical than existing cruciate and uneven two-server PAKE protocols.

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