



Methods and Materials Characterization of Sodium Carboxymethyl Cellulose

Kanna Ashok Reddy*

* Professor, Dept. of Mechanical Engineering, Guru Nanak Institutions Technical Campus, Ibrahimpatnam, R.R. Dist-501 506, Hyderabad, Telangana State

Abstract: Four test solutions of 0.05% 0.1% 0.15% and 0.2% sodium carb-oxymethyle cellulose (CMC) are used for the experiments. The Sodium Carboxymethyle Cellulose is a whitish powder which is odourless tasteless and non toxic binder and it is used in several industries because of easy solubility in water. Other properties of Carboxymethyle Cellulose are film forming ability, effective thickening action in water solution, an anionic and Rheology agent. Chemical properties of Carboxymethyle Cellulose are: pH=7.25, Viscosity=1080 C.P. at 25°C, and sodium content=8.23%

Keywords: viscosity, flow behavior index, power law model & cellulose

1. INTRODUCTION:

Extensive work have been carried on non Newtonian fluids by many authors in recent years both experimentally and theoretically. In our present study, 0.05% & 0.1% CMC Test Solutions have shown Newtonian behavior, On other hand 0.15% & 0.2% CMC Test Solutions behaved as non Newtonian fluids.

The classification of non-Newtonian fluids is as follows[1]:

A. Time Independent Fluids like yield stress fluids - Bingham, Herschel Bulkley, Casson etc.

B. Time Dependent Fluids - Thixotropics, Rheopectics & Viscoelastics

The following mathematical correlations [2] can be used to evaluate the Rheological parameters as:

1. Linear Equation: If shear stress vs shear rate is plotted, the graph is known as flow curve. This model show the Newtonian ($\tau = \mu (\dot{\gamma})$ where $\tau(0)$ approaches to zero.) and Bingham ($\tau = \tau(0) + \mu (\dot{\gamma})$ where $\tau(0)$ being the yield point) flow behavior.

2. Basic equation is given as:

$$\tau = \tau(0) + \mu (\dot{\gamma}) \quad (1)$$

3. Power Law Equation: This model quantifies the rheological flow behavior for Newtonian pseudo-plastic and dilatants fluids

$$\tau = \mu (\dot{\gamma})^n \quad (2)$$

where n is called flow behavior index and shows the degree of the non-Newtonian flow behavior where n=1 Newtonian, n > 1 dilatants, n < 1 pseudo-plastic. It is also called Ostwald model which is widely used to verify the rheological behavior effect on the velocity and thermal flow fields. This model gives better results compared to other models available.

If % concentration of the Test solution versus flow behavior index (n) is plotted, it can be noticed, from the following Fig.2.1, that there is a change in flow behavior depending on the concentration.

4. Herchel Bulkley Model:

$$\tau - \tau(0) = \mu (\dot{\gamma})^n \quad (3)$$

When yield limit as in case of plastic flow is known, the above equation can be used as power law equation. To evaluate the yield limit, one can use the Casson model first and then calculate the change in shear stress from the above equation.

5. Casson Model :

$$\sqrt{\tau} - \sqrt{\tau(0)} = \sqrt{\mu (\dot{\gamma})} \quad (4)$$

This model is extensively used for solid suspensions to verify the flow behavior.

6. Exponential Model:

$$\tau = \mu \cdot \exp(n \cdot \dot{\gamma}) \quad (5)$$

Examples of shear thinning are polymer slurries with fine particles suspended in water and Sodium Carboxymethyle Cellulose solutions. Corn starch, clay slurries and solutions of certain surfactants.

Another type of non-Newtonian fluid is a viscoplastic fluid. When a small shear stress is applied to this fluid, it will not flow until it approaches to a limiting value known as yield stress for the flow to take place. These fluids behave both as elastic and viscous. Some examples are blood, toothpaste, mud and nuclear fuel slurries.

Bingham plastics exhibit a linear relationship between shear stress and shear rate indicating a yield stress behavior. One can learn more about behavior of non-Newtonian fluids from literature [2]

2. METHODS & MATERIALS

Hawke VT500 Viscometer [3] has been used to evaluate the viscosity of 0.05% CMC, 0.1% CMC, 0.15% CMC and 0.2% CMC test solutions. It has RS-232 interface with data interoperation system and preset adjustment for shear rate in the range 1 to 600 rpm. For our study the Ostwald model regression method is taken into consideration and the model equation is taken as $\tau = \mu (\dot{\gamma})^n$ where τ =shear stress, μ =viscosity factor, n= flow behavior index $\dot{\gamma}$ =shear rate. The ranges for different concentrations: Viscosity Range: 1000-1100 C.P. and Shear Rate Range: 1-200 s⁻¹ Temperature difference for each reading = 5^o C.



International Journal of Advanced Research Foundation

Website: www.ijarf.com, Volume 2, Issue 1, January 2015)

3. RESULTS & DISCUSSION

The 0.05% & 0.1% CMC Test Solutions are showing constant trend lines compared to 0.15% & 0.2% CMC Test Solutions as shown in Fig 1. The Viscosity of the fluid flow varies as temperature gradients increases.

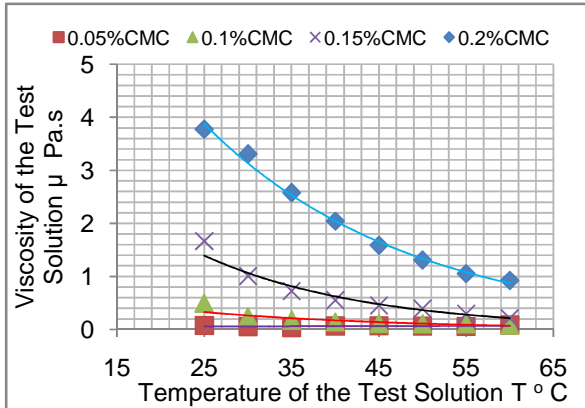


Fig 1 relation between viscosity and temperature 0.05%, 0.1%, 0.15% & 0.2% CMC test solutions

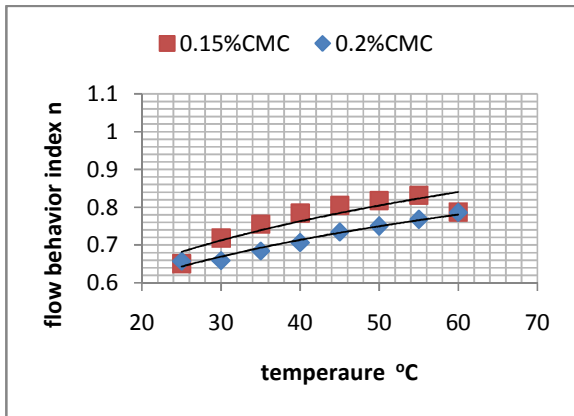


Fig 2 relation between flow behavior index and temperature for 0.15% & 0.2% CMC test solutions.

Fig 2 shows the flow behavior index (n) of 0.15% CMC slowly increases from 0.65 to 0.85 as temperature gradient gradually increases from 25°C to 60°C, whereas 0.2% CMC Test Solution slowly increases flow behavior index (n) from 0.65 to 0.78 as temperature increases further. It can be inferred from the graph of flow behavior index (n) Vs temperature, that flow behavior index (n) is a strong function of viscosity.

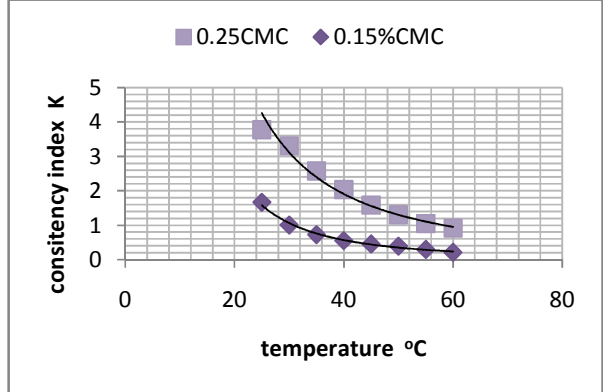


Fig 3 relation between consistency index K and temperature for 0.15% & 0.2% CMC test solutions

Fig 3 indicates the dependence of consistency index (K) on temperature of the test solutions. The consistency index (K) decreases from 1.6 to 0.3 as temperature rises from 25 to 60°C for 0.15% CMC, whereas for 0.2% CMC, as temperature trend line increase, the consistency index (K) comes down from 3.8 to 0.9.

It is evident from Fig 4, the shear stress of the sodium carboxymethyl cellulose becomes constant for 0.05% & 0.1% test fluids as temperature trend line increases, whereas the shear stress moves down ward direction from 34 to 8 Pa as temperature rises from 25 to 60°C for 0.15% test fluid. Similarly, the shear stress trend line decreases from 45 to 22 Pa for the same temperature gradient for 0.2% test fluid.

It is evident from the graphs drawn for characterization of test solutions gives very good relation with power law model compared with other available models. The results show validation from the data represented in the following graphs. The fact lies about the experimental equipment calibration in these data presented.

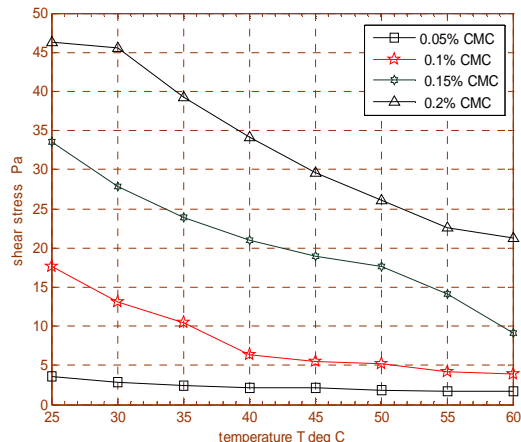


Fig 4 dependence of shear stress on temperature of the 0.05%, 0.1%, 0.15% & 0.2% CMC test solutions



International Journal of Advanced Research Foundation

Website: www.ijarf.com, Volume 2, Issue 1, January 2015)

IV. APPLICATIONS OF NON NEWTONIAN FLUIDS

A non-Newtonian fluid is a fluid whose viscosity is variable based on applied stress or force. The most common everyday example of a non-Newtonian fluid is starch dissolved in water. Behavior of Newtonian fluids like water can be described exclusively by temperature and pressure. However, the physical behavior of non-Newtonian fluid depends on the forces acting on it from second to second.

If you punch a bucket full of non-Newtonian fluid such as cornstarch, the stress introduced by the incoming force causes the atoms in the fluid to rearrange such that it behaves like a solid. Your hand will not go through. If you shove your hand into the fluid slowly, however, it will penetrate successfully. If you pull your hand out abruptly, it will again behave like a solid, and you can literally pull a bucket of the fluid out of its container in this way. Non-Newtonian fluids help us understand the wide variety of fluids that exist in the physical world. A search for non-Newtonian fluid on the internet brings up some interesting results. When combined with a oscillating plate, non-Newtonian fluids demonstrate other unusual properties, like protruding "wingers" and holes that persist after creating them. An oscillating plate applies stress on a periodic basis, rapidly changing the viscosity of the fluid and putting it in an odd middle ground between a liquid and a solid. At the same time, there are examples wherein one can place a bowl of cornstarch near a vibrating speaker to see the interesting patterns that are created on the surface of the mixture.

The mathematical model suggested by Hiraoka could be used to evaluate and compare the experimental data for viscosity, velocity and shear stress distribution with power law fluids. It was concluded that Metzner-Otto constant k_s cannot be approximated in the average deformation rate equation. Shear stress reveals that the deformation is weak at the vessel wall and it is easier to obtain relations with apparent viscosity.

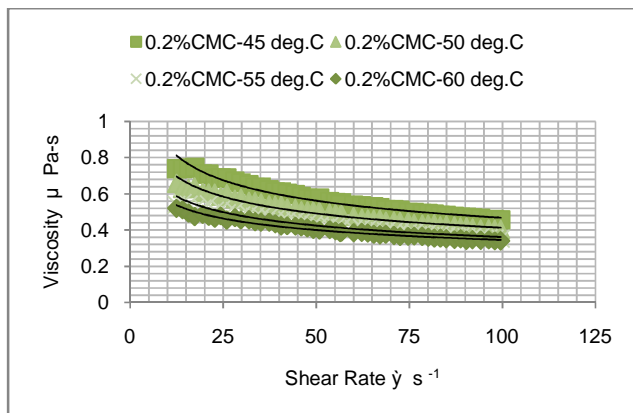


Fig 5 dependence of shear rate on viscosity of the 0.2% CMC test solutions at different temperatures

There are many real fluids which if tested in simple shear, would appear not to flow at all until the magnitude of the applied shear stress surpassed a fixed finite value termed the yield stress. Many other real fluids show an apparent yield stress as well. One type of constitutive equation which is used to describe fluids which appear to display a yield stress is the Bingham model. In simple shear of a Bingham fluid, there is no motion unless the magnitude of the applied shear stress is above a threshold, in which case, the material behaves like an incompressible Newtonian fluid. The non-Newtonian fluids can be quantified by a nonlinear shear stress and shear rate models developed by several investigators. The applications are vast to describe the rheological properties of polymers, paints and solid suspensions etc., which are extensively used in chemical industry. The equation developed for Newtonian and power law model cannot be used to predict the flow streamlines for viscoelastic fluids which was justified by Jahangiri [4] who demonstrated hydrodynamic experiments through LDA for visualization of velocity profiles in the transition flow regime i.e $35 < Re > 1800$. By modifying blade angle of Rushton turbine, one can assess for mixing high shear rates. Magnofloc LT 27 Polyacrylamide solution mixed with glycerin/water was used as a test fluid. It was concluded that radial and tangential components were found to be independent of agitation in the vessel. The theoretical models were developed by Bose experiments through LDA for visualization of velocity profiles in the transition flow regime i.e $35 < Re > 1800$. By modifying blade angle of Rushton turbine, one can assess for mixing high shear rates. Magnofloc LT 27 Polyacrylamide solution mixed with glycerin/water was used as a test fluid. It was concluded that radial and tangential components were found to be independent of agitation in the vessel. The theoretical models were developed by Bose and Carey[5], Renardy[6], Massondi and Phuoc[7], Derksen and Prashant[8] and Jahangiri [9] for non-Newtonian fluids. The purpose of this work has been to evaluate the performance of heating and cooling rates in a mixing vessel for non-Newtonian fluids.

ACKNOWLEDGEMENT

At the outset, I sincerely thank and extend my gratitude to the Management of College of Chemical Technology, Osmania University, Hyderabad for providing me the facilities to carry out the viscosity experiments for sodium carb-oxymethyle cellulose test solutions with their equipment Hawke VT500 Viscometer.



International Journal of Advanced Research Foundation

Website: www.ijarf.com, Volume 2, Issue 1, January 2015)

REFERENCES

- 1.P.Perona Rheology; and Non-Newtonian Fluid Mechanics with Applications Institute of Environmental Engg ETH Zurich Switzerland p1-34
- 2.R P Chhabra; Non- Fluids: An Introduction SERC School cum Symposium on Rheology of Complex Fluids-links
- 3.Haake Information Haake Mess-Technik; GmbH Co Dieseistr Germany VT-500 Haake Viscotester p1-10
- 4.M Jahangiri; Fluctuation Velocity for Non-Newtonian Liquids in Mixing Tank by Rushton Turbine in the Transition Region Iranian Polymer Journal 15 (2006) p285-290.
- 5.A Bose and G F Carey; Least Squares p-r Finite Element Method for Incompressible Non-Newtonian Flows Computer Methods in Applied Mechanics and Engineering 180 (1999) p431-458.
- 6.M Renardy; Current Issues in Non-Newtonian Flows: A Mathematical Perspective Journal of Non-Newtonian Fluid Mechanics 90 (2000) p243.
- 7.M Massondi and T X Phucc; Flow of a Generalized Second Grade Non-Newtonian Fluid With Variable Viscosity Continuum Mechanics & Thermodynamics 16 (2004) p529-538.
- 8.J J Derksen Prashant; Simulations of Complex Flow of Thixotropic Liquids Journal of Non-Newtonian Fluid Mechanics 160 (2009) p65-75.
- 9.M Jahangiri; Shear Rates in Mixing of Viscoelastic Fluids by Ribbon Impeller Iranian Polymer Journal 17 (2008) p831-841.

About the author:



K. Ashok Reddy: Obtained B.E.-Mechanical Engineering from Andhra University, Waltir A. P. in 1984. After serving for eight years at Allywn Volts Ltd, obtained Post Graduate from Indian School of Mine (ISM), Dhanbad, Bihar in 1995. Since 1995, taken Up teaching as a carrier and completed Ph.D in 2012 from JNTU Hyderabad T.S. Published 20 research and review papers in Heat Transfer, Mechanical Design and Thermal Engineering.

kashokreddy2013@gmail.com